eAppendix A

eTable 1. Results from multivariate logistic regression model: Outcome regression (outcome = reported commercial sexual contact).

	OR	(95% CI)
Age (years)		
15-19	7.97	(3.10 to 20.49)
20-24	5.59	(2.43 to 12.89)
25-29	2.30	(0.99 to 5.31)
30-34	2.09	(0.92 to 4.74)
35-39	1.57	(0.69 to 3.56)
40-44	1.21	(0.51 to 2.86)
45-49	1.44	(0.58 to 3.54)
50-54 ^a	1.00	
Type of residence		
Capital to large city	1.09	(0.71 to 1.66)
Small city	1.71	(1.02 to 2.85)
Town	1.22	(0.78 to 1.91)
Countryside ^a	1.00	
Religion		
Muslim	1.72	(0.73 to 4.03)
Christian	0.60	(0.09 to 4.17)
Other	0.90	(0.24 to 3.32)
Hindu ^a	1.00	
Missing ^b	0.0001	(0.00003 to 0.0003)

Wealth index	1.35	(1.05 to 1.73)
Current marital status (married/not married)	0.07	(0.01 to 0.54)
Husband has the right to have sex with another woman	0.90	(0.40 to 2.04)
(yes/no)	0.90	(0.40 to 2.04)
Missing	1.25	(0.43 to 3.60)
STD diagnosis past 12 months (yes/no)	47.10	(14.94 to 148.50)
Missing	1.16	(0.23 to 5.79)
Genital discharge past 12 months (yes/no)	2.41	(1.46 to 3.96)
Missing	1.99	(0.73 to 5.41)
Number lifetime sexual partners		
1^{a}	1.00	
2	1.47	(0.41 to 5.29)
3-4	13.16	(4.02 to 43.12)
5 or more	7.19	(2.36 to 21.94)
Missing ^b	35.45	(9.13 to 137.61)
Frequency of alcohol consumption		
Almost every day	1.64	(1.17 to 2.31)
About once a week	2.95	(2.01 to 4.32)
Less often than once a week	4.95	(3.06 to 7.99)
Never consumed alcohol ^a	1.00	
Missing ^b	0.00003	(0.00001 to 0.00008)
Education (years)	1.01	(0.91 to 1.12)
Missing ^b	0.00009	(0.00002 to 0.0004)
Education ² (years)	0.99	(0.99 to 1.00)

Age at first intercourse (years)	1.17	(1.10 to 1.24)	
Current marital status (married/not married) and number			
of lifetime sexual partners			
Married, 2 partners	10.14	(4.02 to 25.57)	
Married, 3-4 partners	18.15	(7.53 to 43.75)	
Married, 5 or more partners	16.36	(6.95 to 38.54)	
Current marital status (married/not married) and age at	0.01	(0.84 to 0.00)	
first intercourse (years)	0.91	(0.84 to 0.99)	
Husband has the right to have sex with another woman	1.02	(0, 01 to 4, 06)	
and current marital status (married/not married)	1.92	(0.91 to 4.06)	
Husband has the right to have sex with another woman			
(yes/no) and religion			
Yes, Muslim	0.16	(0.04 to 0.65)	
Yes, Christian	4.79	(1.01 to 22.67)	
Yes, Other	0.45	(0.10 to 2.06)	
Husband has the right to have sex with another woman	1.07	$(0, 00, t_0, 1, 16)$	
(yes/no) and education (years)	1.07	(0.99 to 1.16)	
STD diagnosis past 12 months (yes/no) and education	0.67	(0.54 ± 0.95)	
(years)	0.67	(0.54 to 0.85)	
Number of lifetime sexual partners and religion			
2 partners, Muslim	0.65	(0.16 to 2.67)	
2 partners, Christian	2.13	(0.27 to 16.46)	
2 partners, Other	0.55	(0.06 to 5.11)	
3-4 partners, Muslim	1.43	(0.50 to 4.10)	

3-4 partners, Christian	0.04	(0.004 to 0.56)
3-4 partners, Other	4.01	(0.91 to 17.59)
5 or more partners, Muslim	1.38	(0.51 to 3.72)
5 or more partners, Christian	0.38	(0.04 to 3.32)
5 or more partners, Other	2.77	(0.63 to 12.06)
Number of lifetime sexual partners and wealth		
2 partners, Wealth index	1.06	(0.76 to 1.48)
3-4 partners, Wealth index	0.72	(0.52 to 0.98)
5 or more partners, Wealth index	1.01	(0.76 to 1.33)

^a Reference category.

^b Reference category is not missing.

	OR	(95% CI)
Age (years)		
15-19	9.63	(6.26 to 14.81)
20-24	4.40	(3.11 to 6.21)
25-29	5.03	(3.67 to 6.91)
30-34	4.87	(3.42 to 6.93)
35-39	4.89	(3.38 to 7.08)
40-44	2.65	(1.91 to 3.67)
45-49	1.80	(1.31 to 2.48)
50-54 ^a	1.00	
Religion		
Muslim	1.25	(0.85 to 1.83)
Christian	1.44	(0.73 to 2.84)
Other	1.74	(0.94 to 3.19)
Hindu ^a	1.00	
Missing ^b	1971.40	(774.56 to 5017.06)
Current marital status (married/not married)	68.39	(48.21 to 97.01)
Occupation		
Not working	0.50	(0.34 to 0.73)
Professional, technical, manager	0.96	(0.65 to 1.42)
Clerical	1.57	(0.92 to 2.65)
Sales	1.22	(0.91 to 1.63)

eTable 2. Results from multivariate logistic regression model: Inverse probability weighting (outcome = complete information on commercial sexual contact).

Agriculture employee	0.94	(0.74 to 1.21)
Services	0.75	(0.52 to 1.10)
Skilled and unskilled manual ^a	1.00	
Missing ^b	2.63	(0.37 to 6.84)
Number trips away from home to	1.00	(0.97 to 1.04)
past 12 months	1.00	(0.77 to 1.04)
Missing ^b	1.01	(0.35 to 2.88)
Husband justified in beating wife if: She is unfaithful	0.77	(0.44 to 1.34)
(yes/no)	0.77	(0.44 10 1.34)
Missing ^b	1.05	(0.58 to 1.93)
STD diagnosis past 12 months (yes/no)	0.89	(0.41 to 1.95)
Missing ^b	0.87	(0.32 to 2.36)
Number lifetime sexual partners		
1^a	1.00	
2	1.44	(1.07 to 1.95)
3-4	1.77	(1.22 to 2.58)
5 or more	5.77	(3.42 to 9.73)
Missing ^b	0.29	(0.10 to 0.89)
Education (years)	1.03	(0.99 to 1.08)
Missing ^b	0.35	(0.08 to 1.54)
Education ² (years)	1.00	(1.00 to 1.00)
Genital sore/ulcer in past 12 months	1.61	(0.87 to 3.01)
Missing ^b	0.56	(0.31 to 1.00)

Husband justified in beating wife if: She is unfaithful

(yes/no) and occupation

Yes, Not working	1.55	(0.80 to 3.03)	
Yes, Professional, technical, manager	0.46	(0.24 to 0.90)	
Yes, Clerical	0.60	(0.26 to 1.42)	
Yes, Sales	0.67	(0.38 to 1.18)	
Yes, Agriculture employee	1.30	(0.82 to 2.06)	
Yes, Services	1.42	(0.66 to 3.04)	
Current marital status (married/not married) and number			
of trips away from home to past 12 months	0.74	(0.90 to 0.98)	
Current marital status (married/not married) and number			
lifetime sexual partners			
Married, 2 partners	0.97	(0.63 to 1.51)	
Married, 3-4 partners	0.95	(0.52 to 1.74)	
Married, 5 or more partners	0.22	(0.10 to 0.49)	
Genital sore/ulcer in past 12 months and education (years)	0.94	(0.88 to 1.01)	
Husband justified in beating wife if: She is unfaithful			
(yes/no) and age			
Yes, 15-19	0.68	(0.34 to 1.36)	
Yes, 20-24	1.53	(0.78 to 3.02)	
Yes, 25-29	0.98	(0.53 to 1.80)	
Yes, 30-34	1.23	(0.62 to 2.46)	
Yes, 35-39	0.96	(0.49 to 1.89)	
Yes, 40-44	0.88	(0.41 to 1.89)	
Yes, 45-49	0.99	(0.49 to 2.00)	

Number of trips away from home to past 12 months and

religion

Number of trips, Muslim	1.04	(0.98 to 1.10)
Number of trips, Christian	0.99	(0.91 to 1.08)
Number of trips, Other	1.02	(1.02 to 1.12)

^a Reference category.

^b Reference category is not missing.

eAppendix B. SAS code to obtain adjusted point estimates

```
data nfhs 3;
set nfhs 3;
/* create indicator for non-response */
if paid = . then miss = 1;
if paid > . then miss = 0; run;
/* complete data model */;
proc surveylogistic data=nfhs 3;
      weight mweight;
      strata mv024;
      cluster mv001;
      class age cat (ref='8') alcohol (ref='0') plife5 (ref='1') religion
            (ref='11') reside (ref='11')/param=ref;
      model paid (event='1') =
            married plife5 married*plife5 mplife5 religion mreligion std dx
            mstd dx reside extrasex mextrasex discharge mdischarge alcohol age cat
            malcohol agesex extrasex*religion married*agesex edu medu wealth
            edu*edu married*extrasex edu*extrasex std dx*edu plife5*religion
            wealth*plife5;
      output out=orpred predicted=mhat; run;
proc sort data=or pred; by mcaseid; run;
/* missingness model */
proc surveylogistic data=nfhs 3;
     weight mweight;
      strata mv024;
      cluster mv001;
      class age cat (ref='8') plife5 (ref='1') religion (ref='11') occup
            (ref='11')/param=ref;
      model miss (event='0') =
            married age cat plife5 mplife5 edu medu occup moccup married*plife5
            religion mreligion away_cat maway married*away_cat beat_cheat
            mbeat cheat beat cheat*occup std dx mstd dx edu*edu beat cheat*age cat
            away cat*religion ulcer mulcer edu*ulcer;
      output out=miss pred predicted=phat; run;
proc sort data=miss pred; by mcaseid; run;
/* create inverse probability weights and pseudo-outcomes */
data nfhs 3 final;
     merge orpred misspred; by mcaseid;
      * total population weights;
      w = 1/phat;
      w2 = w*mweight;
      * married sub-population weights;
      w m = married/phat;
      w2 m = w m*mweight;
      * unmarried sub-population weights;
      unmarried = (married = 0);
      w um = unmarried/phat;
      w\overline{2} um = w um*mweight;
      * doubly robust psuedo-outcome;
      paid_dr = paid;
      if miss2=1 then paid dr=0;
      y dr = (1-miss)*(paid dr - mhat)/phat + mhat;
run;
```

```
/* complete case */
proc surveylogistic data=nfhs 3 final;
     weight mweight;
      strata mv024;
     cluster mv001;
     model paid (event='1') = ;
run;
/* inverse probability weighting - total population*/
proc surveylogistic data=nfhs 3 final;
     weight w2;
      strata mv024;
     cluster mv001;
     model paid (event='1') = ;
run;
/* inverse probability weighting - married sub-population*/
proc surveylogistic data=nfhs 3 final;
     weight w2 m;
      strata mv024;
      cluster mv001;
     model paid (event='1') = ;
run;
/* inverse probability weighting - unmarried sub-population*/
proc surveylogistic data=nfhs 3 final;
      weight w2 um;
     strata mv024;
     cluster mv001;
     model paid (event='1') = ;
run;
/* outcome regression */
proc surveyreg data=nfhs_3_final;
     weight mweight;
     strata mv024;
     cluster mv001;
     model mhat = ;
     domain married;
run;
/* doubly robust estimation */
proc surveyreg data=nfhs 3 final;
     weight mweight;
     strata mv024;
     cluster mv001;
     model y_dr = ;
     domain married;
run;
```

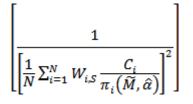
eAppendix C. Formulas and MATLAB code to obtain 95% confidence intervals for adjusted point estimates.

*

Variance formulas

Inverse probability weighted regression variance:

$$\begin{split} & \overline{Var}(\hat{\mu}_{IPW}) = \\ & \frac{1}{N^2} \sum_{i=1}^N W_{i,S} \left[\frac{c_i}{\pi_i(\tilde{M}, \hat{\alpha})} \left(\hat{Y}_i - \hat{\mu}_{IPW} \right) - \right] \\ & \left[\sum_{i=1}^N \left(W_{i,S} \frac{c_i}{\pi_i(\tilde{M}_i; \hat{\alpha})^2} \pi_i \left(\tilde{M}_i; \hat{\alpha} \right) \left(1 - \pi_i \left(\tilde{M}_i; \hat{\alpha} \right) \right) \left(Y_i - \hat{\mu}_{IPW} \right) \tilde{M}_i^T \right) \right] \\ & \left(\sum_{i=1}^N \left(W_{i,S} \pi_i \left(\tilde{M}_i; \hat{\alpha} \right) \left(1 - \pi_i \left(\tilde{M}_i; \hat{\alpha} \right) \right) \tilde{M}_i \tilde{M}_i^T \right) \right)^{-1} \\ & \left(M_i \left(C_i - \pi_i \left(\tilde{M}_i; \hat{\alpha} \right) \right) \right) \right] \end{split}$$



Outcome regression variance:

$$\begin{split} \widehat{Var}(\hat{\mu}_{OR}) &= \\ \frac{1}{N^2} \sum_{i=1}^{N} W_{i,S} \left[\left(b_i(\tilde{L}_i; \hat{\beta}) - \hat{\mu}_{OR} \right) + \left[\left(\sum_{i=1}^{N} \left(W_{i,S} b_i(\tilde{L}_i; \hat{\beta}) \left(1 - b_i(\tilde{L}_i; \hat{\beta}) \right) \tilde{L}_i^T \right) \right) \right] \right] \\ \left(\sum_{i=1}^{N} \left(W_{i,S} b_i(\tilde{L}_i; \hat{\beta}) \left(1 - b_i(\tilde{L}_i; \hat{\beta}) \right) \tilde{L}_i \tilde{L}_i^T \right) \right) \right] \end{split}$$

Doubly robust estimator variance:

 $V \widetilde{ar}(\hat{\mu}_{DR}) =$

$$\frac{1}{N^{2}}\sum_{i=1}^{N}W_{i,S} \begin{bmatrix} \left(\hat{Y}_{i,DR} - \hat{\mu}_{DR}\right) - \left[\sum_{i=1}^{N} \left(W_{i,S} \frac{C_{i}}{\pi_{i}(\tilde{M}_{i};\hat{\alpha})^{2}} \pi_{i}(\tilde{M}_{i};\hat{\alpha}) \left(1 - \pi_{i}(\tilde{M}_{i};\hat{\alpha})\right) \tilde{M}_{i}^{T} \left(Y_{i} - b_{i}(\tilde{L}_{i};\hat{\beta})\right) \right) \\ \left(\sum_{i=1}^{N} \left(W_{i,S} \pi_{i}(\tilde{M}_{i};\hat{\alpha}) \left(1 - \pi_{i}(\tilde{M}_{i};\hat{\alpha})\right) \tilde{M}_{i}\tilde{M}_{i}^{T} \right) \right)^{-1} \\ \tilde{M}_{i} \left(C_{i} - \pi_{i}(\tilde{M}_{i};\hat{\alpha})\right) \\ + \left[\sum_{i=1}^{N} \left(W_{i,S} \left(1 - \frac{C_{i}}{\pi_{i}(\tilde{M}_{i};\hat{\alpha})}\right) \tilde{L}_{i}^{T} b_{i}(\tilde{L}_{i};\hat{\beta}) \left(1 - b_{i}(\tilde{L}_{i};\hat{\beta})\right) \right) \\ \left(\sum_{i=1}^{N} \left(W_{i,S} b_{i}(\tilde{L}_{i};\hat{\beta}) \left(1 - b_{i}(\tilde{L}_{i};\hat{\beta})\right) \tilde{L}_{i}\tilde{L}_{i}^{T} \right) \right)^{-1} \\ \tilde{L}_{i} \left(Y_{i} - b_{i}(\tilde{L}_{i};\hat{\beta}) \right) \end{bmatrix}^{-1} \end{bmatrix}$$

MATLAB code

```
% INVERSE PROBABILITY WEIGHTED REGRESSION VARIANCE
% import data from excel
[ndata to headertext] = xlsread('C:\other.xls');
[m to headertext] = xlsread('C:\covariates.xls');
                        % number of subjects
N = size(ndata,1);
M = size(m, 2);
                         % number of covariates
weight = ndata(:,1); % survey weight
miss = ndata(:,2); % indicator for item non-response
                        % C = 1 for observations with complete data
C = 1 - miss;
paid = ndata(:,3);
                       % observed response
phat = ndata(:, 4);
                       % predicated probability of complete data
mu = 0.01110163;
                        % survey-weighted mean based on IPW
z = zeros(N, 1);
w1 = zeros(1, M);
w^2 = zeros(M, M);
x = zeros(N, 1);
w4 = zeros(1, 1);
for i = 1:N;
    tempw1 = zeros(1, M);
    tempw2 = zeros(M, M);
    tempw4 = zeros(1,1);
    tempw1 = weight(i,1)*(C(i,1)/phat(i,1))*phat(i,1)*(1 -
      phat(i,1))*(paid(i,1)*mu)*m(i,:);
    tempw2 = weight(i,1)*phat(i,1)*(1-phat(i,1))*m(i,:)'*m(i,:);
    tempw4 = weight(i,1) * (C(i,1)/phat(i,1));
    w1 = w1 + tempw1;
    w^2 = w^2 + tempw^2;
    w4 = w4 + tempw4;
end;
for j = 1:N;
    w3 = zeros(M, 1);
    z(j,1) = (C(j,1)/phat(j,1)) * (paid(j,1)-mu);
    w3 = m(j,:) '* (C(j,1) - phat(j,1));
    x(j,1) = weight(j,1)*(z(j,1)-(w1*inv(w2)*w3))^2;
end;
var = (sum(x)/(N^2)) * (1/((1/N) * w4)^2)
ci95 low = mu - (1.96*sqrt(var))
ci95 high = mu + (1.96*sqrt(var))
```

```
% OUTCOME REGRESSION VARIANCE
% import data from excel
[1 to headertext1] = xlsread('C:\covariates.xls');
[ndata to headertext2] = xlsread('C:\other.xls');
N = size(1,1);
                        % number of subjects
L = size(1,2);
                       % number of covariates
weight = ndata(:,1); % survey weight
mhat = ndata(:,2); % predicated probability of response
paid = ndata(:,3); % observed response
mu = 0.01101958;
                        % survey-weighted mean using OR
z = zeros(N, 1);
w1 = zeros(1,L);
w2 = zeros(L,L);
w3 = zeros(L, 1);
x = zeros(N, 1);
for i = 1:N;
      tempw1 = zeros(1, L);
      tempw2 = zeros(L,L);
      tempw1 = weight(i,1)*(mhat(i,1)*(1-mhat(i,1))*l(i,:));
      tempw2 = weight(i,1)*(mhat(i,1)*(1-mhat(i,1))*l(i,:)'*l(i,:));
      w1 = w1 + tempw1;
      w^{2} = w^{2} + tempw^{2};
end;
for j = 1:N;
      tempw3 = zeros(size(1,2),1);
      z(j,1) = mhat(j,1) - mu;
      tempw3 = l(j,:)'*(paid(j,1)-mhat(j,1));
      x(j,1) = weight(j,1)*((z(j,1) + (w1*inv(w2)*tempw3))^2);
end;
var = sum(x)/(N^2)
95ci low = mu - (1.96*sqrt(var))
95ci high = mu + (1.96*sqrt(var))
```

```
% DOUBLY ROBUST ESTIMATION VARIANCE
% import data from excel
[1 to headertext] = xlsread('C:\covariatesl.xls');
[m to headertext] = xlsread('C:\covariatesm.xls');
[other to headertext] = xlsread('C:\other.xls');
                        % number of subjects
N = size(1,1);
                        % number of covariates to OR model
L = size(1,2);
M = size(m, 2);
                        % number of covariates to IPW model
weight = other(:,1);
                        % survey weight
miss = other(:,2);
                        % indicator for item non-response
C = 1 - miss;
                        % C = 1 for observations with complete data
mhat = other(:, 3);
                      % predicated probability of response
phat = other(:, 4);
                       % predicated probability of complete data
paid = other(:, 5);
                       % observed response
                      % doubly robust pseudo-outcome
y dr = other(:, 6);
mu = 0.01092076;
                        % survey-weighted mean using DR
z = zeros(N, 1);
w1 = zeros(1, M);
w^2 = zeros(M, M);
w3 = zeros(M, 1);
w4 = zeros(1,L);
w5 = zeros(L,L);
w6 = zeros(L, 1);
x = zeros(N, 1);
for i = 1:N;
      tempw1 = zeros(1, M);
      tempw2 = zeros(M, M);
      tempw4 = zeros(1, L);
      tempw5 = zeros(L,L);
      tempw1 = weight(i,1)*C(i,1)*(1/(phat(i,1)^2))*phat(i,1)*(1-
            phat(i,1))*m(i,:)*(paid(i,1)-mhat(i,1));
      tempw2 = weight(i,1)*phat(i,1)*(1-phat(i,1))*m(i,:)'*m(i,:);
      tempw4 = weight(i,1)*(1-(C(i,1)/phat(i,1)))*1(i,:)*mhat(i,1)*(1-mhat(i,1));
      tempw5 = weight(i,1)*mhat(i,1)*(1-mhat(i,1))*l(i,:)*l(i,:)';
      w1 = w1 + tempw1;
      w2 = w2 + tempw2;
      w4 = w4 + tempw4;
      w5 = w5 + tempw5;
end;
for j = 1:N;
      w3 = zeros(size(m, 2), 1);
      w6 = zeros(size(1,2),1);
      z(j,1) = y dr(j,1) - mu;
      w3 = m(j, :) ' * (C(j, 1) - phat(j, 1));
      w6 = l(j,:) '* (paid(j,1)-mhat(j,1));
      x(j,1) = weight(j,1)*((z(j,1)-(w1*inv(w2)*w3)+(w4*inv(w5)*w6))^2);
end;
var = sum(x) / (N^2)
95ci low = mu - (1.96*sqrt(var))
95ci high = mu + (1.96*sqrt(var))
```